This form is a summary description of the model entitled "Permutation admissibility in multistage interconnection networks" proposed for the Model Checking Contest @ Petri Nets. Models can be given in several instances parameterized by scaling parameters. Colored nets can be accompanied by one or many equivalent, unfolded $P / T$ nets. Models are given together with property files (possibly, one per model instance) giving a set of properties to be checked on the model.

## Description

The model describes a $8 \times 84$ stages shuffle-exchange network. In order to ease readability, the net components are grouped in columns similar to the way the switches are arranged in stages. Thus, whole net is represented as a cascade of columns alternating in type of the components being either place or transition. Transitions occur column-wise from the leftmost to the rightmost and in columns from the topmost to the bottommost. It can be easily seen that no token can visit a place more than once. Direction of the arcs indicates the flow of tokens through the net.
Here, we consider the scaling parameter $N$ as a multiplier for the initial marking in places $\mathbf{i n}\langle x\rangle$ and $\mathbf{c} 5$. The figure shows the model when $N=1$.

input is $0 . .7$;
$\mathrm{n} 1, \mathrm{n} 2, \mathrm{n} 3, \mathrm{n} 4, \mathrm{n} 5, \mathrm{n} 6, \mathrm{n} 7, \mathrm{n} 8$ in input;

$$
\text { Graphical representation for } N=1
$$

## References

R. Bashirov, F. Kordon, and H. Lort. Exploiting colored Petri nets to decide on permutation admissibility. Acta Informatica, 46(1):43-55, February 2009.

## Scaling parameter

| Parameter name | Parameter description | Chosen parameter values |
| :--- | :--- | :--- |
| N | Multiplier for the marking of places $\operatorname{in}\langle x\rangle$ <br> and $\mathbf{c 5}$ | $1,2,5,10,20,50$ |

## Size of the model

Although the model is parameterized, its size does not depend on parameter values.

| number of places: | 40 |
| :--- | :--- |
| number of transitions: | 16 |
| number of arcs: | 83 |

## Structural properties

ordinary - all arcs have multiplicity one ..... $x$
simple free choice - all transitions sharing a common input place have no other input place ..... $\boldsymbol{X}$ (a)
extended free choice - all transitions sharing a common input place have the same input places ..... $\boldsymbol{X}$ (b)
state machine - every transition has exactly one input place and exactly one output place ..... (c)
marked graph - every place has exactly one input transition and exactly one output transition ..... (d)
connected - there is an undirected path between every two nodes (places or transitions) ..... (e)
strongly connected - there is a directed path between every two nodes (places or transitions) ..... $\boldsymbol{X}(\mathrm{f})$
source place(s) - one or more places have no input transitions ..... (g)
sink place(s) - one or more places have no output transitions ..... (h)
source transition(s) - one or more transitions have no input places ..... $\boldsymbol{X}$ (i)
sink transitions(s) - one or more transitions have no output places ..... $\boldsymbol{X}(\mathrm{j})$
loop-free - no transition has an input place that is also an output place ..... (k)
conservative - for each transition, the number of input arcs equals the number of output arcs ..... $\boldsymbol{X}(1)$
subconservative - for each transition, the number of input arcs equals or exceeds the number of output arcs ..... (m)
nested units - places are structured into hierarchically nested sequential units ${ }^{(\mathrm{n})}$ ..... $x$

## Behavioural properties


dead place(s) - one or more places have no token in any reachable marking?
dead transition(s) - one or more transitions cannot fire from any reachable marking ..... ?
deadlock - there exists a reachable marking from which no transition can be fired ..... (p)
reversible - from every reachable marking, there is a transition path going back to the initial marking ..... $X$
live - for every transition $t$, from every reachable marking, one can reach a marking in which $t$ can fire ..... ?

[^0]
## Size of the marking graphs

| Parameter | Number of reach- <br> able markings | Number of tran- <br> sition firings | Max. number of <br> tokens per place | Max. number of <br> tokens per marking |
| :--- | :--- | :--- | :--- | :--- |
| $N=1$ | $52537^{(\mathrm{q})}$ | $54600^{(\mathrm{r})}$ | $1^{(\mathrm{s})}$ | $9^{(\mathrm{t})}$ |
| $N=2$ | $?$ | $?$ | $?$ | $18^{(\mathrm{u})}$ |
| $N=5$ | $?$ | $?$ | $?$ | $45^{(\mathrm{v})}$ |
| $N=10$ | $?$ | $?$ | $?$ | $90^{(\mathrm{w})}$ |
| $N=20$ | $?$ | $?$ | $?$ | $180^{(\mathrm{x})}$ |
| $N=50$ | $?$ | $?$ | $?$ | $450^{(\mathrm{y})}$ |

[^1]
[^0]:    (a) the net is not ordinary in all its 6 instances $(1,2,5,10,20$, and 50$)$.
    (b) the net is not ordinary in all its 6 instances (1, 2, 5, 10, 20, and 50).
    (c) the net is not ordinary in all its 6 instances $(1,2,5,10,20$, and 50).
    (d) the net is not ordinary in all its 6 instances (1, 2, 5, 10, 20, and 50).
    ${ }^{(e)}$ stated by CÆSAR.BDD version 1.7 on all 6 instances ( $1,2,5,10,20$, and 50 ).
    ${ }^{(f)}$ from place "aux16_0" one cannot reach place "in4_6".
    (g) there exist 9 source places, e.g., place "in4_6".
    ${ }^{(h)}$ there exist 64 sink places, e.g., place "out7_1".
    ${ }^{(i)}$ stated by CÆSAR.BDD version 1.7 on all 6 instances ( $1,2,5,10,20$, and 50 ).
    ${ }^{(j)}$ stated by CÆSAR.BDD version 1.7 on all 6 instances ( $1,2,5,10,20$, and 50 ).
    ${ }^{(k)}$ stated by CÆSAR.BDD version 1.7 on all 6 instances ( $1,2,5,10,20$, and 50).
    ${ }^{(1)}$ stated by PNML2NUPN 3.1.0 on all 6 instances ( $1,2,5,10,20$, and 50).
    $(\mathrm{m})$ stated by PNML2NUPN 3.1 .0 on all 6 instances (1, 2, 5, 10, 20, and 50).
    ${ }^{(n)}$ the definition of Nested-Unit Petri Nets (NUPN) is available from http://mcc.lip6.fr/nupn.php
    ${ }^{(\mathrm{o})}$ in the initial marking, some places have several tokens (the number of which depends on $N$ ).
    ${ }^{(p)}$ confirmed at MCC'2014 by Helena on all 6 colored instances, and by Lola and Tapaal on all $6 \mathrm{P} / \mathrm{T}$ instances.

[^1]:    (q) Computed by Alpina, and ITS-Tools at MCC'2013; confirmed at MCC'2014 by Helena on the colored net instance, and by GreatSPN, Marcie, PNMC, PNXDD, and Tapaal on the P/T net instance.
    ${ }^{(r)}$ computed at MCC'2014 by Helena on the colored net instance, and by Marcie on the P/T net instance.
    ${ }^{(s)}$ computed at MCC'2014 by GreatSPN, Marcie, PNMC, and Tapaal on the P/T net instance.
    ${ }^{(t)}$ number of initial tokens, because the net is sub-conservative; confirmed at MCC'2014 by GreatSPN, Marcie, PNMC, and Tapaal on the P/T net instance.
    (u) number of initial tokens, because the net is sub-conservative.
    (v) number of initial tokens, because the net is sub-conservative.
    ${ }^{(w)}$ number of initial tokens, because the net is sub-conservative.
    ${ }^{(x)}$ number of initial tokens, because the net is sub-conservative.
    ${ }^{(y)}$ number of initial tokens, because the net is sub-conservative.

